

Ready



STENOGRAPHER
NOTE-BOOK

BOOK NO.

FROM

TO

No. SG-80

Oct 11, 1939 (Sunday)

WAR NEWS

Edinburgh Bombed
 It looks as if the second
 world war is under way.
 Yesterday, German air planes
 tried to bomb a certain
 bridge in Scotland. The
 air raid alarm was
 about through out the
 night for the raid was
 not against the town,
 Edinburgh but the bridge.
 Antiaircraft guns
 and British planes
 tried to hit the planes
 of the German invaders.
 One German
 pilot narrowly missed
 the Clutha bridge of
 Mrs. Heath. A British
 plane forced him down
 as he had to be to fly
 under the space of the
 bridge. As he passed

low below the bridge
 the German was
 ground as he was
 trying to pass over
 the bridge.
 The German rolled
 over in his quest of
 the bombing of his
 native city.

Oct. 18, 1939 (Wednesday)

HAPPENINGS AT ST XAVIER

SENIOR CLASS OF '40
 Have you notice that
 the senior class at St. X.
 is dead. I mean they
 are dead in real
 activity. Oh, a few are
 alive, but the majority are
 a bunch of dead heads.
 I haven't seen
 had as much about
 a dance being held
 by our club of the school.
 Last year's class
 was really as much class
 I think they really regard
 the tradition of St. X.
 as a whole.
 One or two fellows
 put some lip in you
 and don't let it
 go.

ARE WE DOING
 SOMETHING ABOUT IT
 As far as seniors
 under the leadership
 of Jerry Stulman,
 are trying to live
 things up around St.
 X.
 I could count on
 my fingers the seniors
 who really carry out
 the real spirit.
 The thing to do
 is follow the leadership
 of Jerry and his men.

FWHEZNE DUBE

Oct 19, 1939 (Thursday)
LATEST DOPE

TWO BIG GAMES

This week end will
go down in the history
of Jamesville.

It will be hot
times in the old town.
Friday night V of S
plays St. Joe's and
I picture my money on
St. Joe.

Saturday W of K
meets the University
of Georgia. W of K
will take the game
surely.

St. Xavier meets
Knoxville Friday night
and I'm for clear shot
X.

FAIR

BIG DOINGS

With 3 out towns
colleges in town
you may expect
anything to happen.
I think the

town will be
painted red in
course or time.
Friday night

the 5 or 6 big ponds
and every day will
be an hour no doubt
Jamesville will

have Sunday it
has had as
collegiate week
end.

FAIR

Monday (Oct. 23, 1939)
SPORTS NEWS

ST. XAVIER BEATEN

Well, this game, you
know an awful lot
splendid chess players.
St. Xavier at least should
have won.

The team now are
veteran in the hands
of all the attacking X.
They play hard and
don't give up until the
final game.

They thought we
had by a score of late
and have not played
as fine game.

They say the chess
and the team will be
off to return again.

W of K Take Georgia

The school take look like
as excellent Saturday
and comes the good
of the further gentlemen
there.

So Jones made
a sensational catch
in pass and dashed
50 yards for a touchdown.
Final lead

W of K 13 Georgia

W of L Beats St. Joe
W of L beat St. Joe
ground on Thursday
night.

Jamesville will
football league will
the week end.

SPORTS NEWS

Tuesday (Oct. 24, 1939)

PEP RALLY HELD FOR GIRLS

GIRLS INVADED

XAVIER

Today, for the first time, the members of Xavier invaded the Campus of St. X.

The girls made a lot of noise in the wings of class. At the time we had anything to fight for, this is it.

All the Catholic High School for girls had some sort of representation.

At 11:00 we heard the cheer of the ladies and girls from the building.

BILL FLEECE TAKES

LIME LIGHT AGAIN

Say fellows your district now at least as good in our school.

Bill, our head cheer leader, invited them again, and we say as a last.

PRO. RIDLOP

MAKES SPEECH

Pro. was forced to make a speech by the members of H.C. Circle.

It will go down in history of the school. Last time I think we ought to make a pep talk at all the rallies.

Wednesday (Oct 25, 1939)

JITTER DUG RE VIEW

BEST HANDS

Ray Knier makes his routine of moving in. Calf and heads for old New York.

Benny Bookman, the king of moving, successfully but tonight in the way of getting in the groove.

I think the best moving band is those Campus and his chorus. He can really lead it out.

June Swat is one of the best and so is Audrey Stone.

LATEST DANCE TRAGE

The newest dance is the Deuchweil. Every where you go, young couples are doing it.

All you have to do is click your feet and put your lips in it.

The best song to dance by is "Whams".

I think of Walter wasn't an inch and he by last, and would let you.

So give around all your big cats and get in the groove.

Friday (Oct 26, 1939)
SHOWS IN REVIEW

CABINET IN NEW
HOODLUM PICTURE

ANOTHER WAR
PICTURE

Jane's Cagney stars
again in a new
greatest picture, the
playing the part of one
of the girls who takes
up running for
her money.

The picture should
be a thrill for young
and old.

Cagney has been
chosen as the best
actor for greatest roles.

was popular, I
like, will not enter
my picture.

It was better
as a whole with
new picture stars
days before was in
the main type of the
day.

We may learn
from these pictures
the real lesson of
the war.

The new picture
is from Edith
Cowell.

BELL OF HOPE

TRILL OF HOPE 154667

TILLES ONE 154667

Friday (Oct 27, 1939)

STX VS MANUAL

TIGER MEETS GOAT

STX IS BEHIND

The tiger of STX
meets the braver
of Manual tomorrow
afternoon on the quillins.

A good game
is expected by all and
it will be a first one.

Some say Manual
will win but I think
the tiger has something
up their sleeves and
will come out on top.

THE TEAM

The students of
X are really behind
the team now. They
want to beat their
arch rivals and
back.

The girls are
behind the team
too.

So come on
fellows let's really
show the boys
what they are
made of.

"I wonder"
"Out of the night that comes me,
Black as the pit from pole to pole,
I think whatever girls may be,
For my unconquerable soul."

By Keats
from Literature and Life

FAIR
FAIR

BWISK

Monday Oct 30
SOCIAL HIGHLIGHTS

DAHLI PLACE OF
THE WEST

Dahlia on Saturday night is the best yet in town. It is not from my house. Business goes the way. \$1.00 a small dahlia flower but which if it had it is the top. Is it worth to have from land and on your (bank) go to Dahlia

SUNDAY IN THE
PARK

Sunday was a well day for walking in the park and everyone took advantage of it. Lots of flowers were there including myself. The record gang play football and Jerry (Lambert) and of X (Lambert) was the star (backfield) man.

Tuesday (Oct 31, 1939)

SPOOKS

THE GHOST GOES
WEST

Tuesday night it seems as if everyone was in the west end at some parties. The kids play at their grounds and were just caught. Parties were going on in every part of town. I visited several parties. Most of the Hiland gang was down in the west end too.

THE BARN WAS
FILLED

The old barn (a dancing place) was filled with all the gathering of the town. A few had in costumes but not many. Most very hot had lots of fun. Several old men were there with their last flowers.

Wednesday, Nov. 1, 1939

NO SCHOOL

ST. X BOYS ALL IN TOWN.

Today was a holiday and no school for us.

I said my team to join the band of boys.

Some great plans. The men are scattered all over town. They will meet first week next. I would and all the rest was there.

Any holiday you want to meet the boys go on 4 St.

WHAT A RELIEF

Oh! boy what a relief no school today. All the good is off until another day.

Slept late today. I got very boring about 11:00 and I decided to do something about it.

I hitchhiked my team and took a look at school. Yes it still was the same then I felt all right.

Thursday, Nov. 2, 1939

STUDY CLUB

AT ST. X

One of the best clubs of St. X is the study club. It keeps us with knowledge of how to combat the enemies of our religion.

The project the study club is on now is Communism and how to fight it.

I am very interested in it and intended to see it through.

THE ART OF CATCHING A FREE RIDE

You didn't know there is an art to hitchhiking. Whenever I want to go up town I climb off the old stumps.

The best way is to always dress neat and always be big and fat. If you're thin you'll get picked up.

The best time of the day is at night time.

Friday Nov 3 1939
LATEST DOPE

X MEETS ASHLAND

Reynold Triggs of Coach
Grove meets this
Additional Team Coached
by Grove's brother
that is to be a
family fight. Booths
against brother. The
Triggs has a slight
edge over Ashland
well says you
had the fight for the
Coach for we want
to see him win

Strongman of York...
when we started...
the first
By first an after...
Believing...
cannot...
from the Memorium

[Faded handwritten notes and bleed-through from the reverse side of the page]

(Monday) Nov 6 1939

Hit Parade

SOINIS ROUND UP

Scatter ^{Division} Paris, I think
is the best song of the
month in the week
Elen Miller and Frank
Wester's has the best
arrangement of it. The
melody then, and is
a little duet called
wherein. Elen Miller
takes all honors on
this new song.
His girl sings
and give Charles... they
sing where. Healy cut
strings on the mellon
sells.

The towers of the week
is stable. All the
men of X meet there
after the games.
Saturday night,
Mac, Summers, English,
Cunary, and many more
are there. I think it
is about the best place
out in town.
So if you want
to see the game, go to
Ball Day Saturday
night.

[Faded handwritten notes and bleed-through from the reverse side of the page]

Nov. 7, 1939 Tuesday

Electric Day in Ironville

Photo AT 684 S435T
(MY HOUSE)

Today, Tuesday was
as usual at the annual
of hammering and
loud talking & brass
electric day. People
were taking my notes
disturbing my sleep.
People begin to
making in the night and
hurry out to work.
The workers were
arriving in early
the home to get some

KEEN JOHNSON

Johnson has this
election in the bag. He
is no politician just
now, I think, they
out West Country.
He was
James Goines and
was not near home.
Well, he's
hoping he is the
best man and
wishes they would
state to him in

Nov. 8, 1939 (Wednesday)

WAR NEWS

ATTEMPT TO KILL HITLER

Today in Munich, Hitler
made a speech in a
Beer Hall 23 years after
his attempted assassination
The Jews left
the meeting a little
late he was supposed
to look like was then
likely saved his life.

A explosion took
the Beer Hall killing 6
and wounding 60. It
was an attempt assassinate
the Nazi leader's
life.

WAR NEWS

HITLER SAYS

HELL FIGHT WITH
EVERY MEANS

HITLER today stated
he would fight with
every means that
includes such things
as bombing cities
and mail subsidies
was for. He also
announced German
was prepared for
5 year war.

Let look as if
the time of war
is about to turn
loose.

(Thursday) Nov. 9, 1939

BING CROSBY

Sung out Crosby
with real fine show
of the air. His singing
is top and today again
he can't be beaten by
anyone.

Extra music of
the music was his
guest star. He made
a few nice cracks
he and Steve.

It was an
all around good
program.

BORDER CLASH

Well it looks as if
Hatch is up to his old
tricks again. He seems
really killed as both
Carter and Helms
two were into
Herman.

That looks like
pistol. But it
seems another
was near the Marshall
a while.

(Friday) Nov 10

STX MEETS MULE

Had a no game fight for our team

Daytime being bright
the first part of the night
what was that hand eye
Could find the football game

Several different days when
found the first of the eyes?
On wing, did he catch
what the hand had given
the job.

LET WIN

Came on team points
was a victory for
del X. We at
behind eyes and
will yell our head
off.

Go out on the
field and chase
the bull dog back
home.

FAIR
FAIR

Monday (Nov. 13, 1939)

SOCIAL ACTIVITY

Had two joints
we moved to the girls
had night's talk of
Came and the fun.

Canary had a date
with his Kemp again. His
two strategic but date two

Every place. Can you
if we wanted to find his
two strategic they are
the body guard only
they don't guard.

TWO FOOL SMITH A
SHIP

Yesterday two fools
Carried a airplane
in a corn field. It
was an air show on
Ash bottom road.

Are fellows going
in a chute. Consider
quilt up a barrel hockey
was the name of his play
and as dust storm. It
was a graduation for
two bits.

Tuesday (Nov. 14, 1939)

NEWS-POST. X. HIGH SCHOOL

MORE PEP

SELL MORE

Well at least the main
club has been up. The
boy has gotten out of
it and into the game.

You can see
the more any night
at Dallas with their
sugar on their arms.

The whole school
has changed. The
boy is out trying
to sell change on the
bus.

Care on fellow
allowed chance.
You know that is
his is build a new
field home. So
this is a good come.
Get into school
that chance for
don't let you
as really lay out to
her.

Wednesday (Nov. 5, 1937)

LATEST DOPE

4C GETS

HOLIDAY

Will old 4C get
off a day from
school. This quote
was 117 and they had
in 119. Wasn't that
small buying towards
fellows old Xi
found of yours

4th ST. GANG

Every day the gang
in front of the
bigger and bigger.
pretty soon people
won't be able to
go downtown to
shop. The
old hills had
taken all towns into
a bang

Monday (Nov. 22, 1937)

SOCIAL ACTIVITY

SAT. NITE

Saturday night the
social activity was
very much on its toes
The Brown was
very crowded Sat.
and few St. X. kids
were scattered about
Dubbases full
of St. X. men. Spaces
and all the football
players were there.
Carney and
his two stooges
had a flat tire
and got their clothes
soiled. Was their
face red.

SUNDAY NITE

Sunday was a
bit on the down
side. Most everyone
went to the show.
Everyone went to
see Dancing Cords
with Artie Shaw's
band.
Curis and his
girl was out at Huggie's
climb the ladder steps.
Curis was
out with his blond
again.

Dublin (Nov 21, 1939)

~~LATEST~~ LATEST DOPE

4th ST. CROWDED

BIG-PARADE

Front Street was
crowded again after school expected as big parade
today.

The old town way
Friday night. The

Jack Benny was
at the usual place.

St. X gang will take
part by taking cars
by the big balloons.

The music shop
was full of dope again.
It is a wonder they
don't throw these bins
out.

It will be the
first time as I know
of bags of wind
blowing out of balloons.

The rain still
doesn't seem to
help the pile off
of the street.

They usually fill
them up.

Wednesday (Nov 22, 1939)

CANARY LIVES UP

ALAMANT

TO NAME

Quinn! O'Leary! O'Leary!

Canary living to his
name of Jack last
night in a friendly
little card game.

Quinn! O'Leary! O'Leary!
Quinn! O'Leary! O'Leary!
Quinn! O'Leary! O'Leary!

The stakes were very
high and the game
lived up with him.

Quinn! O'Leary! O'Leary!
Quinn! O'Leary! O'Leary!

Jack lost his two
storerooms his own
cards and under he
leaves.

Out of Dublin and night
as Jack has taken flight
fast going, and rumour
and winter hours.

The total sum of
his winning was the
large amount of 17

More my friend heart
with grief but with delight
Name of these men.

From Detective and Life

Game!

By Wright
any road by Gully, Lowland, Hardy

Jan 1 3 act play - Monday

name of play

author of play

descriptive sketch of main characters

synopsis of play

one clearly defined & a pretty appealing scene

critique of play

Scrap Book for ^{also} Short story

Jan 15 Monday 4:11 to 5:00 by magazine of
matters



- ① ^h learn the construction of the projective plane
A square plane
- ② Same thing with a circle

Solid Geom Formul

$$f = 2\sqrt{2}$$

$$2a^2 - 10^2 = 3e^2$$

$$S_e = 4e^2$$

$$S = d(4e) = 4e^2$$

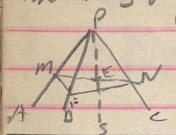
$$T = 6e^2$$

$$d^2 = a^2 + b^2 + c^2$$

$$S = 4P$$

$$T = 5K + 2B$$

The sum of any 2 sides of a triangle is greater than the 3rd side



Construction: P inside the triangle ΔABC
 APB, BPC, APC
 To prove: $\angle APB + \angle BPC > \angle APC$

PROOF

- i) Draw P on PA draw PS such that $\angle APS = \angle HPB$
- ii) Draw E on BP such that $PE = PB$
- iii) Draw MN and E pass on plane
- iv) Join MF and FN as joined
- v) In ΔPMP & PME
 $\angle MPE = \angle MPF + \angle PFE = \angle PFE$
- vi) Also $PM = PM$
- vii) $\Delta PMF \cong PME$
- viii) $MF = ME$
- ix) In ΔMFN
 $MF + FN > MN > ME + EN$
- x) In ΔPMP & PME
 $\angle MPF = \angle PFE$
- xi) $\angle MPF + \angle FPN > \angle MPN$
- xii) In ΔPMP & PME
 $PM = PM$
- xiii) $\angle MPN > \angle MPN$
- xiv) $\angle MPN > \angle MPN$
- xv) $\angle MPN > \angle MPN$
- xvi) $\angle MPN > \angle MPN$
- xvii) $\angle MPN > \angle MPN$
- xviii) $\angle MPN > \angle MPN$
- xix) $\angle MPN > \angle MPN$
- xx) $\angle MPN > \angle MPN$

Q.E.D.

If a plane is not a circle right, then
 whether a circle



Given ΔPQR with
 interior
 angle bisectors AD & BE

I $PQR \sim LAB$

I Join the given external
 just why it can be
 done to at given point

II Select any 2 pts
 on the circle and
 connect them to D and R

II 2 pts D & R are
 lines

III $ORLPR$ & $P'R$

III a line L touch plane
 is L to $ORLPR$ in the
 plane many than its part

IV $LSORP$, ORP at LS & OR

IV LS from at LS
 \angle make of the same type

V $PO = PD$

ar =
 VI Similarity

VI $RO = RD$

VII $\Delta PRO \cong \Delta P'RD$

VIII $PR = P'R$

VIII Conjugate part of
 \cong $PR = P'R$

IX Since any 2 pts P, P'
 are in front of R
 $PR = P'R$

IX a circle is a chord
 One all pts P, P'
 obtain from the center

Sketch is $PR = P'R$ found interests of 2 given
 (1)

[Faint, mostly illegible handwriting, possibly bleed-through from the reverse side of the page.]



Confession

Butcher who backs into meat grinder gets little change
in return

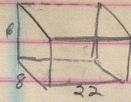
Not to put them in wheel next to but they
live in them but, around in bad food

Days impossible, get sick when you faint
then you just damn

Even day being warm make one hole wash
Man who like duty to make clean land get

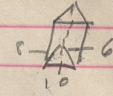
If a felt uncomfortable get his felt twice a
week; a leather dealer gets his felt every Sunday;
an ice man get fresh price every morning; a
table cloth get jaded off 3 times a day;
a steel car Condumath will take in a lady
for 10¢. The man has to go in stenographer
drawer to get lead for in pencil. a
mechanic has to show typewriter on the desk
as dentist gets in tool in a woman's
mouth for 50¢, then when in the field should
a damn doctor charge 200 for coming
once

① $T = SA + B$
 $T = 2ab + 4p$
 $T = 2(25 \times 8) + 4(8 + 22)$
 $T = 2(176) + 6(60)$
 $T = 712 \text{ sq in.}$



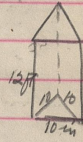
② I $KA = \frac{ab}{2}$
 $K\Delta = \frac{6 \times 6}{2}$
 $K\Delta = \frac{36}{2}$
 $K\Delta = 18 \text{ sq in.}$

II $V = Bh$
 $V = 24 \times 14$
 $V = 336 \text{ cu in.}$



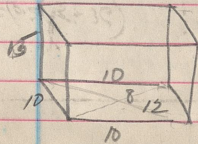
③ I $KA = \frac{\sqrt{3}}{4} s^2$
 $KA = \frac{100\sqrt{3}}{4}$
 $KA = 25\sqrt{3} \text{ sq in.}$

II $V = Bh$
 $V = 25\sqrt{3} \times 144$
 $V = 3600\sqrt{3} \text{ cu in.}$

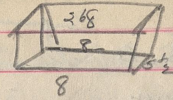


④ I $c^2 = a^2 + b^2$
 $100 = 36 + b^2$
 $b^2 = 64$
 $b = 8$
 II $K(R) = \frac{1}{2} ab$
 $K = \frac{12 \times 6}{2}$
 $K = 36 \text{ sq in.}$

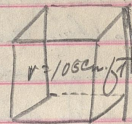
III $T = SA + B$
 $T = 12(40) + 2(96)$
 $T = 792 \text{ sq in.}$
 IV $V = Bh$
 $V = 1440 \text{ cu in.}$



⑤ I $V = Bh$
 $268 = 44h$
 $h = 6 \frac{1}{4}$
 II $T = SA + B$
 $T = 6(27) + 444$
 $T = 200 \text{ sq ft.}$

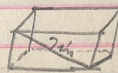


⑥ I $V = lwh$
 $105 = 5.25h$
 $105 = 17.5h$
 $6 \frac{1}{2} \text{ ft} = h$
 II $S = 2lw + 2lh + 2wh$
 $S = 6(2)(5 + 36)$
 $S = 6(17)$
 $S = 102 \text{ sq ft.}$
 III $B = wh$
 $13 = 5.25h$
 $13 = 7 \frac{1}{2} \text{ sq ft.}$
 IV $E = SA$
 $E = 102 + 195$
 $E = 119 \text{ sq ft.}$

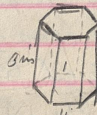


⑦ I $df = e\sqrt{2}$
 $\sqrt{7} = e\sqrt{2}$
 $e = \frac{\sqrt{7}}{\sqrt{2}}$
 $e = \frac{\sqrt{14}}{2} \text{ in.}$

II $V = e^3$
 $V = \frac{14\sqrt{14}}{8}$
 $V = \frac{7\sqrt{14}}{4} \text{ cu in.}$



⑧ I $df = e\sqrt{2}$
 $17 = e\sqrt{2}$
 $e = \frac{17}{\sqrt{2}}$
 $e = \frac{17\sqrt{2}}{2} \text{ in.}$
 II $V = e^3$
 $V = \left(\frac{17\sqrt{2}}{2}\right)^3$
 $V = \frac{14138}{8}$
 $V = \frac{7069}{4} \text{ cu in.}$



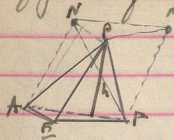
⑨ I $K = 6\left(\frac{r^2\sqrt{3}}{4}\right)$
 $K = 6\left(\frac{15^2\sqrt{3}}{4}\right)$
 $K = \frac{6 \times 225\sqrt{3}}{4}$
 $K = \frac{3375\sqrt{3}}{2} \text{ sq in.}$
 II $V = Bh$
 $V = 6\left(\frac{15^2\sqrt{3}}{4}\right) \times 3$
 $V = 15\sqrt{3} \text{ cu in.}$

⑩ I $V = Bh$
 $V = 6 \times 4 \times 3$
 Smaller $V = 72 \text{ cu ft.}$

II $V = Bh$
 and $V = 6 \times 6 \times 4 \times 3 \frac{1}{2}$
 total $V = 72.16 \text{ cu ft.}$

OK RR

The volume of a triangular pyramid is $\frac{1}{3}$ of product of the base and the altitude.



Given: Δ angles py. P-AEF
 base Δ AEF
 alt. = h
 To Prove: $V = \frac{1}{3} B h$

I. In Δ know $\angle ANP = \angle PNE$
 and $\angle PNA = \angle PNE = 90^\circ$

II. In Δ as given, not only 1 line
 can be drawn \parallel to a given line
 & a 2nd line can be drawn as
 limited

II. Pass a plane N, P and M

III. It is not in same as line
 defines a plane

III. Line PN, PM and MN are found

III. Intersection of planes is a line

IV. $\angle PAN = \angle PNE$ and $\angle PNE = \angle PNE$

IV. If 2 sides of a triangle are
 = alt \parallel the 3rd is \parallel to [P]

V. $\therefore PN \parallel AF, PM \parallel EF$

V. Opposite of alt \parallel lines \parallel to =

VI. Plane NPM \parallel AEF

VI. If two intersecting lines are \parallel
 to a 3rd intersecting line in another
 plane then the plane are \parallel

VII. \therefore MAEF is a prism

VII. A prism is a polyhedron
 whose lateral faces are \parallel planes
 and whose bases are \parallel planes

VIII. Pass plane thru
 E, V and P

VIII. Intersection of lines defines
 a plane

IX. \therefore EN is formed

IX. Intersection is a line

X. In the pyramid P-AEF
 and P-AEF
 $\Delta ANP \cong \triangle PNE$

X. The diagonal of \square intersects
 it

XI. Both pyramids have same
 altitude

XI. From a given point
 only one \perp can be dropped
 into given plane.

XII. \therefore PANP = P-NMP

XII. Two triangles pyramids
 with equal bases and
 equal altitudes are equivalent

XIII. In pyramids
 P-AEF and P-NMP
 $\Delta ANP \cong \triangle PNE$

XIII. The bases of a pyramid are
 \cong pyramids.

XIV. In Δ base has its altitude
 of into pyramids

XIV. If planes are equally
 equidistant

XV. \therefore P-AEF = P-NMP

XV. Planes (2nd)

XVI. P-AEF = P-NMP or P-NMP

XVI. They are the same thing
 as = to each other

XVII. Pyramids P-AEF & P-NMP
 + P-NMP = P-AEF

XVII. The whole is = to the
 among all its parts

XVIII. In Δ from N-AEF = Bh

XVIII. From N = $\frac{1}{2} B \times h$

XIX. \therefore P-AEF = N-AEF

XIX. Substitution

XX. \therefore P-AEF = Bh

XX. They are the same thing
 as = to each other

XXI. P-AEF = $\frac{1}{3} B h$

XXI. as deduced by the
 result of =

Q.E.D.

Plane from

$K = \text{area of plane fig}$

① $K \Delta = \frac{ab}{2}$

② $K \Delta = \frac{1}{2} \cdot (a+b) \cdot h$

$a = \text{any parameter}$

③ $K \square = a^2$

④ $K O = \pi r^2$

⑤ $K \square = ab$

⑥ $K_{\text{reg. polygon}} = \frac{ap}{2}$

⑦ $K \square = \frac{a(b+c)}{2}$

$a = \text{length} = \text{radius of circ}$
 $p = \text{perimeter}$

⑧ $\frac{\text{area}}{2\pi R} = \frac{\text{arc } L}{360}$ length of arc

⑩ $\text{area } K \Delta = \frac{\text{arc } L \cdot TIR^2}{360}$ $\frac{\text{area } K \Delta}{K O} = \frac{\text{arc } L}{360}$ arc length

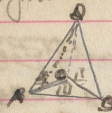
⑪ $c^2 = a^2 + b^2$ in Δ rt Δ

⑫ In rt Δ $\sin \theta = \frac{opposite}{hypotenuse} = \frac{b}{c}$

⑬ In $30^\circ, 60^\circ, 90^\circ$ $S_3 O = \frac{c}{2}$

⑭ $\theta = 60^\circ = \frac{c\sqrt{3}}{2}$ $15 K \Delta = \frac{r^2\sqrt{3}}{4}$

The centroid of a triangle is the point where the medians intersect. It is the center of mass of the triangle. The distance from the centroid to each vertex is $\frac{2}{3}$ of the median length.



Using the property of centroid, the distance from the centroid to each vertex is $\frac{2}{3}$ of the median length. $K_{\text{med}} = L \cdot \frac{1}{2} LP$

I. $L =$ least length of I, II, III. \square Dist. centroid from vertex $OP = \frac{2}{3} LP$

II $K \Delta I = AD$
 $II \Delta I = DB$
 $K \Delta III = 1/2 B$

II $K \Delta = \frac{ab}{2}$

III In $\Delta K I, K B, K W = S$

III Colored area of n reg. poly. = the ratio of the dist. from

IV $K I + K II + K III = (AD + DB + AB)$

IV $OP = \frac{2}{3} LP$ as $OP = \frac{2}{3} LP$ as the ratio $OP =$

V $AB, OB, AD = P$

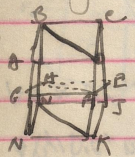
V Perimeter of every polygon is $\frac{1}{2}$ to the sum of its sides

VI $S = \frac{ab}{2}$
or $L = \frac{1}{2} LP$

VI Substitution

Q.E.D.

The plane is parallel to the diagonally
 opp. to edges of a parallelogram divided
 the parallelogram into 2 equivalent Δ pairs



Then: plane HGF parallel to
 opp. edges of Δ M + CT
 of the parallelogram AB
 To find: AB divides into
 2 equivalent Δ pairs
 AB D-M & M A K-A

I Same structure EP/HT

I A polygon formed by the
 intersection of the lateral faces
 The plane cuts a plane
 which cuts all the lateral
 edges without necessarily
 being \perp to the structure

II AK/NC
 AM/CK

is opposite of a parallelogram
 well

III H/G EF
 HC/EF
 GF/HE

is a plane as related
 by that plane this the
 line of intersection well

IV HGF is \perp to P

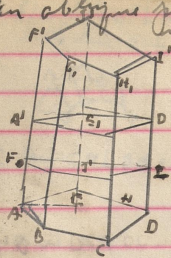
IV P is \perp to parallel
 when opposite well

V HGF \cong HGF

V A diagonal divides
 a Δ into 2 \cong Δ

H 22

An oblique prism is equivalent to a right prism
 whose base is to a P. rectangle
 of the oblique prism, and whose
 altitude is to the lateral edge
 of the oblique prism



Given: Prism $P = E$ cut section of the
 oblique prism $AB'D'$, and $F'F'$ is
 a right prism whose altitude is
 to a lateral edge of $AB'D'$
 To prove: AD is equivalent to $F'S'$

- I $AA' = FF'$
- II $A'F = A'F'$
- III $AA' - A'F = FF' - A'F'$
 $AF = A'F'$
 $BF = B'F'$
 $FC = F'C'$
- IV $AD = A'D'$
 $FC = F'C'$
- V $\angle AFG = \angle A'F'G'$
 $\angle FGD = \angle F'G'D'$
- VI $FG = F'G'$
 $GD = G'D'$
- VII $BE = B'E'$
- VIII $BS = B'S'$
 $GE = G'E'$

- I obvious
- II Identity
- III = 5 sub prisms - the
 small is =
- IV // lines enclosed between
 // lines are =
- V // // lines are cut by a
 transversal, corresponding
 angles are =
- VI If sides of 2 triangles
 are 2 sides of 2 triangles
 then the triangles are =
- VII Corresponding sides =

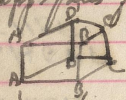
21

- IX $GE = G'E'$ IX Identity
- X $BS + GE = B'S' + G'E'$ X whole is to sum
 $B'S' + G'E' =$ right prism of all its parts.
- XIII oblique $BE =$ right XII thing = to the
 GS same thing as = to
 each other

21

O.E.S.

Two opp faces of a parallelepiped are = and //

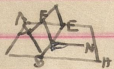


Given: parallelepiped $ABDC$
 To Prove: $ABDC, A'B'D'C'$
 are = and //

- I $AB \parallel DC$
 $AB \parallel DC$
 $AA' \parallel BB'$
 $DD' \parallel CC'$
- II $\angle ADB = \angle D'C'B$ II 2 \angle s in different planes
 whose arms are // respectively
 in the same sense are =
- III $AB \parallel D'C', BC \parallel AD$ III If 2 lines are in a plane
- IV $AB \cong DC, DC \cong AD$ IV S.A.S.

22

If a line is \perp to a plane, any plane passing through the line is \perp to the plane



Given: $FC \perp AH$

To Prove: $SE \perp AH$

I Draw $CN \perp BE$ etc

Since a given point on a given line is a given plane only, a plane can be formed \perp to a given line

II $FC \perp AH$

III BE

III $FC \perp BE$

III If a line is \perp to a plane it is \perp to every line passing through its foot

IV $\angle FCN$ is a plane \angle of $S-EB-H$

IV a plane \perp to a line is \perp to the edge of a dihedral \angle at the same point \perp in different planes

V $FC \perp EN$

V If a line is \perp to a plane it is \perp to every line passing through its foot

VI $\angle FCN$ is a \perp \angle

VI \perp from FC to EN

VII $\angle S-EB-H$ is a dihedral

VII a dihedral \angle is measured by its plane \angle

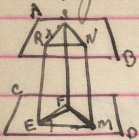
VIII $SE \perp AH$

VIII R + dihedral \angle are formed by a dihedral

Q.E.D.

#18

2 lines and 2 planes are different planes whose rates are respectively \parallel and in the same sense are \perp and lie in \parallel planes



Given $LR, SN \perp EFM$ in plane
 AB and $CD \parallel RS \parallel EF$
 and $RN \parallel EM$
 To prove: $\angle X = \angle Y$
 $AB \parallel CD$

I. $\text{Vert. } \angle \text{RS} = \angle \text{EF}$
 and
 $\text{Vert. } \angle \text{RN} = \angle \text{EM}$

5 as line may be extended or limited

II. $\text{Vert. } \angle \text{RE}, \text{SN}, \text{NM}, \text{FN}$

II. $\text{opposite sides of } \triangle \text{ are } \parallel$

III. $\text{RS} \parallel \text{EF}$

III. $\text{opposite sides of } \triangle \text{ are } \parallel$
 \parallel , then the angle is \perp

IV. $\angle \text{R} = \angle \text{E}$
 $\angle \text{N} = \angle \text{M}$

IV. $\text{Given } \& \text{ Construction}$

V. $\text{RS} \parallel \text{NM}$ and \parallel

V. $\text{opposite sides of } \triangle \text{ are } \parallel$

VI. $\text{SE} = \text{NM}$

VI. $\text{lines } \perp \text{ to the same line are } \perp \text{ to each other}$

VII. $\text{SN} = \text{FM}$

VII. V

VIII. $\triangle \text{RSN} \cong \triangle \text{EFM}$

VIII. S.S.S.

IX. $\angle \text{X} = \angle \text{Y}$

IX. $\text{Congruent parts of } \cong$

X. $\text{RS} \parallel \text{EF}$
 $\text{RN} \parallel \text{EM}$

X. Given

XI. $\text{RS} \parallel \text{to } CD \text{ and}$
 $\text{RN} \parallel \text{to } CD$

XI. V

XII. $OB \parallel CD$

Every plane containing (y 2) line is \parallel to the other line

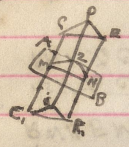
A rotating line \perp to a plane stays \perp to that plane if that line is \perp to that plane.

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858

[Faint handwritten notes and diagrams, including a small geometric sketch of a prism-like shape.]

The lateral area of a prism is the product of lateral edge and the perimeter of a cross-section.



Prism Prism CR lateral area P
 & lateral edge
 To prove:

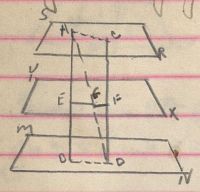
- I $CC' = PP' = EE'$
- II $MZ \perp$ to CC' , $mz \perp PP'$
 $ZV \perp EE'$
- III $\square CC'$

∴ Lateral edge of prism =

#19

[Faint handwritten notes and diagrams at the bottom of the page.]

If two lines are cut by 3 // planes, their corresponding segments are proportional



Given: Two lines AB and CD cut by 3 planes SR, P, MN in points A, E, B and C, F, D
 To Prove: $\frac{AE}{EB} = \frac{CF}{FD}$

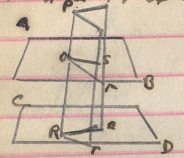
- I Draw line AC and BD also AD
- II Join ADB and ADC as a plane
- III Join EG // BD and AC
- IV $\frac{AE}{EB} = \frac{AG}{GD}$ and $\frac{CF}{FD} = \frac{CG}{GD}$
- V $\frac{AE}{EB} = \frac{CF}{FD}$

- E pts determine a line
- II 2 parallel lines determine a plane
- III If 2 planes // planes are cut by another plane then the lines of intersection are //
- IV If from 2 rays you draw a line is perpendicular // to the 3rd ray it divides the 2 rays proportionally
- V thing = 4 the second thing are = to each other

Q. E. D.

#13

If a line is \perp to one of two // planes it is \perp to another one also



Given: $PO \perp$ to AB one of 2 // planes AB and CD or $OR \perp$ CD
 To Prove: $OR \perp$ CD

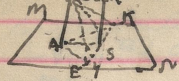
- I Join PR and QS
- II PS, OR, RE, SR, RT, QR form a plane
- III Join OQ, RT, OS, QR
- IV $PO \perp$ AB
- V $PO \perp$ to OS
- VI The PO is \perp to PR and QS
- VII $RE \perp$ SR
- VIII $PR \perp$ CD

- IX as both cannot be a perp plane
- X If 2 planes intersect the intersection is a line
- XI If 3 // planes are cut by a 4th plane the lines of intersection are //
- XII Given
- XIII If a line is \perp to a plane it is \perp to every line in the plane passing thru its foot
- XIV If a line is \perp to 1 // plane it is \perp to the other
- XV If a line is \perp to 2 intersecting lines at its point of intersection then it is \perp to the plane

Q. E. D.

#14

2 lines \perp to the same plane and



Prin: plane MN meets PA & KS
 \perp to AS
 To Prove: $PA \parallel RS$

o Given line PA & RS .

i.e. to determine a line

i On MN draw $KE \perp$ to AS

ii Show as given point K is given line in the same plane why \perp can be drawn

iii $KS = SY$

ii That line can be bisected as explained

iv Connect PA and Y to KY

iii (I)

v Line $AS \perp$ bisects KY

iv Construction

vi $AK = AY$

vi Sum of parts = determine from the bisecting line given lines AK & AY of the line

vii $PY = PK$

vii If point P and Y are \perp above line AS bisecting KY to cut $AY = PK$ & the part of AS the above line $AK = AY$

viii PS is \perp bisector of KY

ix $RS \parallel KY$ at S

ix If a line is \perp to a plane it is \perp to every line in the plane through its point

x AS, PS, RS in same plane

x Every line \perp to a plane through a given point lies in the same plane \perp to the given line at the given pt.

xi PA & RS lie in same plane

x If 2 points of a line lie in the same plane then the whole line lies in the plane

xii PA and RS are \perp to AS

xii same as ix

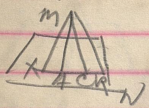
xiii $PA \parallel RS$

xiii 2 lines in the same plane \perp to the same line are \parallel

Q.E.D.

411

If ellipse is to draw from part of unit
 two plane cutting ~~the~~ ~~line~~ ~~from~~ ~~part~~
 I then the ~~one~~ ~~of~~ ~~the~~ ~~greater~~ ~~radius~~ ~~is~~ ~~greater~~ ~~+~~
 Given $PA + MN$ etc
 Prove $PR > PX$



$\Sigma PA + PR$ etc I ~~write~~ ~~my~~ ~~conjecture~~
 above

II PR is ~~found~~ III ~~2~~ ~~places~~ ~~with~~ ~~etc~~

IV PR is ~~common~~ ~~to~~ ~~both~~ ~~places~~ V ~~See~~ ~~of~~ ~~it~~ ~~now~~

VI ~~max~~ ~~of~~ ~~PC~~ ~~=~~ ~~AN~~ VII ~~Construct~~

VIII ~~Draw~~ ~~PC~~ IX ~~2~~ ~~pts~~ ~~on~~ ~~it~~ ~~line~~

X ~~Since~~ ~~AR~~ ~~>~~ ~~AC~~ XI ~~Since~~ ~~>~~ ~~only~~ ~~we~~
 get ~~path~~

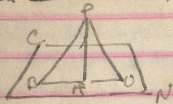
XII $PR > PC$ XIII ~~#~~ ~~8~~

XIV $PC = PR$ XV ~~#~~ ~~8~~

XVI $PR = PX$ XVII ~~Conclusion~~

#10

If 2 plane lines are drawn from a point within a plane cutting $xy =$ segments from the part of the \perp then the oblique lines are =



- I $PA = PB$
- II $BA = BA$
- III $PA \perp CN$
- IV $PA \perp BA$ and PO
- V $\angle BAP = \angle PAD$ and $\angle A$
- VI $\angle BAP = \angle PAD$
- VII $\triangle BAP \cong \triangle PAD$
- VIII $BP = PO$

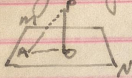
Given: $PA \perp CN$ through plane lines
 $AB \perp PO$ as to cut of $BA = AD$
 $\triangle BAP \cong \triangle PAD$

- I Identity
- II Given
- III Given
- IV \perp lines \perp to a plane at \perp to a line in plane, then \perp to \perp
- V \perp from pt. P
- VI all at P are =
- VII S.A.S
- VIII Corresponding parts of \cong figures are =

~~Q.E.D.~~

Q.E.D.

From a given point, the \perp is shortest distance to a given plane



- I Draw any other line PA to MN
- II Plane PA is determined
- III AO is formed
- IV AO lies in both planes
- V $PO \perp AD$
- VI $\angle POA$ is a rt \angle
- VII $\triangle HPO$ is rt \triangle
- VIII $PA > PO$

Given: $PO \perp MN$
 To Prove: PO is shortest distance from P to MN

- I 2 points determine a st. line
- II Intersecting lines determine a plane
- III If 2 planes intersect their intersection is a st. line
- IV line of intersection is common to both planes
- V \perp line is \perp to every line drawn thru it in first plane
- VI \perp from pt. P
- VII rt \triangle contains 1 rt \angle and 2 acute.
- VIII the hypotenuse of a rt \triangle is the largest side of the rt \triangle

Q.E.D.

XXVI AF \perp to P, X, and
 \perp to FX

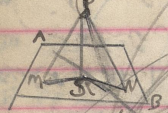
XXVII If a line is \perp to plane
 then it is \perp to every line
 running thru its foot.

XXVIII In a right angle
 the AF is only \perp MN thru
 point A

XXIX Only 1 line can be
 drop from a given point to a
 given line in the same plane

Q E R

Drop a point \perp to a plane & plane line
 be drawn to the plane thru the cut off equal
 segments from the foot of the \perp then the oblique lines
 are equal



I $PS \perp$ to AB

II PM in a plane

III MN is \perp to PS

IV MN is common to both planes

V $PS \perp$ to PS

VI $\angle PSM$ and $\angle PSN$ are \perp

VII $\angle PSM$ and $\angle PSN$ are \perp

VIII $\triangle PSM \cong \triangle PSN$

IX $\therefore PM = PN$

Given plane AB with P \perp to AD
 and oblique lines PM and PN
 with S = segment MB and
 SN

Drop PS \perp to AD =

I PS is \perp

II PM & PN are in a plane

III PS is \perp to PS

IV $\angle PSM$ and $\angle PSN$ are \perp

V $\angle PSM$ and $\angle PSN$ are \perp

VI S.A.S

VII $\triangle PSM \cong \triangle PSN$

VIII $\therefore PM = PN$

Q E R

Q E R

1) 2) Prove that \parallel lines included \parallel planes
 are equal

3) a) In a plane figure

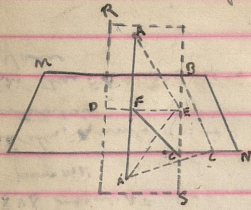
b) what is the locus of all points equidistant
 from the vertices of a \triangle
 Locus

1) Locus of points equidistant from the
 extremities of a given line is the \perp bisector
 of the line

2) Locus of points equidistant from the sides of an \triangle
 is the \perp bisector

3) Locus of points equidistant from a
 point in a plane is the circumference
 of a circle whose center is the given
 point and whose radius is the required
 distance.
 the locus point

Thru a given external point only 1 line can be drawn \perp to a plane



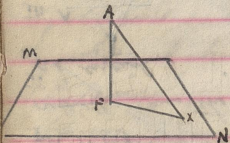
Given: MN and A

To Prove: only one \perp can pass thru A to the plane MN

PROOF

- I Selected any line DC in plane MN
- II Thru line A pass $RS \perp DC$
- III Line DE is formed
- IV DE lies in both planes
- V In plane RS draw AEDE
- VI Draw line SC
- VII Extend AE to same length to A'
- VIII Connect E, N, C to A, N, A'
- IX Line bis CD is \perp to plane RS by construction then CD is also \perp to AE and A'E
- X Line RS determines a \perp line
- XI Thru a given external point only one \perp can be drop \perp to a given line
- XII 2 planes intersect the intersection is one \perp line
- XIII line of intersection is common to both planes
- XIV Thru a given external point only 1 line can be drawn \perp to a given line in the same plane
- XV 2 points determine a \perp line
- XVI as \perp line can be extended indefinitely.
- XVII (VI)
- XVIII If a line is \perp to a plane then it is \perp to every line in that plane

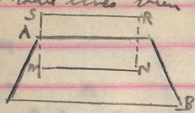
- XIX Since $\angle ABC$ and $\angle A'EC$ are rt \angle s
- XX $\angle AEC = \angle A'EC$
- XXI Since EF is the \perp bisector of AA'
- XXII then $AE = A'E$
- XXIII also $EC = EC$
- XXIV $\triangle AEC \cong \triangle A'EC$
- XXV $\therefore AC = A'C$
- XXVI $\therefore CF$ is the \perp bisector of AA'
- XXVII $\therefore AF \perp MN$
- XXVIII No. locust of points in the plane of all points equal distance from extremities of a line
- XXIX Uniqueness
- XXX S.A.S
- XXXI Congruent parts of \cong are \cong
- XXXII If two points are equidistant from the extremities of a given line will determine the \perp bisector of that line
- XXXIII No. line is \perp to each of the 2 lines



XXXIV Suppose AP was another \perp from MN

- XXXV then PA would be line of intersection
- XXXVI then PA would lie in both planes
- XXXVII 2 planes intersect in one \perp line
- XXXVIII line of intersection is common to both planes

If 2 lines are \parallel and a plane contains only 1 of these lines then the plane is \parallel to the other line



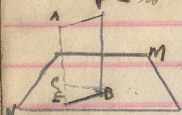
Given: $SR \parallel MN$ lying in plane AB
 To Prove: $SR \parallel$ to plane AB

Proof

- | | |
|--|---|
| I. SR and MN are \parallel | I. Given |
| II. Suppose SR was a plane | II. 2 \parallel lines determine a plane |
| III. If SR was to cut plane AB it would cut at MN | III. The line of intersection is common to both planes and is at line |
| IV. But SR will never meet MN | IV. \parallel lines will never meet |
| V. Then SR will never meet plane AB and meet \parallel | V. A line \parallel to a plane will never meet the plane |

Q.E.D.

Every line \perp to a given line at a given point lies in a plane $P \perp$ to the given line at the given point

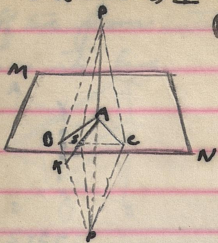


Given: $MN \perp PB$ also $EB \perp PB$
 To Prove: EB lies in plane MN

- | | |
|---|--|
| I. Line CB lies in plane MN | I. 2 intersecting lines determine only 1 plane |
| II. Suppose EB is the line of intersection | II. 2 planes intersect the line of intersection is a straight line |
| III. EB lies in plane MN and plane PE | III. The The line of intersection is common to both planes |
| IV. $PB \perp MN$ | IV. Given |
| V. also $\perp CB$ | V. If a line is \perp to a plane it is \perp to every line in that plane |
| VI. $PB \perp EB$ | VI. \perp to a line in that plane means there is proof |
| VII. Since they coincide it is impossible | VII. Given |
| VIII. EB must coincide with CB and is in plane MN | VIII. There is a given point on a given line only one \perp can be drawn |
| | IX. It is in MN because it coincides with CB which is already proved to be in MN |

Q.E.D.

If a line is \perp to 2 lines of a plane at the point of intersection, then the line is \perp to the plane



Thm: plane MN with $PA \perp BA$ and $CA \perp PA$
 To prove: another line is \perp to PA

PROOF

- I Select KA any line in MN I 2 point determine a line passing thru A
- II Draw BC meeting KA at S
- III Extend PA its own length to P
- IV Connect O, S, C to P and P
- V Since BA and CA are \perp bisectors of P and P
- VI Then $PB = PA$
 $PC = PA$
- VII $BC = BC$
- VIII $\triangle PBC = \triangle PCB$
- IX $\angle BCP = \angle CBP$
- X in $\triangle PSC$ and PCB
 $CS = CS$
- XI $\triangle PSC \cong \triangle PCB$
- XII $PS = PS$
- XIII AS is the \perp bisector of P and P
- XIV $PA \perp MN$
- XV $\triangle PSC \cong \triangle PCB$
- XVI $\angle BCP = \angle CBP$
- XVII $\triangle PSC \cong \triangle PCB$
- XVIII $PS = PS$
- XIX AS is the \perp bisector of P and P
- XX $PA \perp MN$

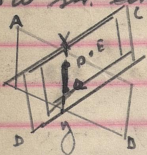
III a line may be ext.
 I
 V this and conclusion
 VI \perp bisector of a line is the line of all points
 VII \perp bisector
 VIII SSS
 IX Corresponding parts of \cong triangles
 X \perp bisector
 XI SAS

III a line is \perp to a plane if it is \perp to every line in the plane meeting it at its pt.

C.E.P.

Lesson #1

If two planes intersect, the line of the intersection is a str. line



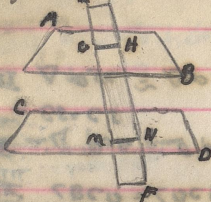
Given: A, B and C, D intersecting planes
 To Prove: the intersection is a str. line

PROOF

STEPS	REASONS
I Suppose P is common to both planes, then point Q is also common to both planes	I If two planes have 1 point in common they must have an other point in common
II Draw str. line P, Q	II Two points determine a str. line
III P, Q lies in plane CD and also in plane AB	III If two points of a str. line lie in a plane then the whole line lies in the plane.
IV Suppose another point such as E was also common to the 2 planes then the 2 planes would coincide	IV 3 points not in the same str. line determine only 1 plane
V But this is impossible because AB and CD intersect	V Given:
VI \therefore P, Q must be the line of intersection	VI the line of intersection contains all points common to both planes
VII Part of PQ is the line of intersection	VII Given
VIII \therefore PQ must be a str. line because it coincides with P, Q	VIII Two planes have only 1 line of intersection

P, Q, E

If two parallel planes are cut by a third plane the lines of intersection are parallel



Given: 2 planes AB and CD intersected by plane EF at GH and MN respectively
 To Prove: GH \parallel MN

PROOF

I GH and MN are str. lines	I If two planes intersect the intersection is a str. line
II Planes AB and CD are \parallel	II Given
III GH and MN will never meet	III lines in parallel planes will never meet
IV GH is in plane AB and EF MN is in plane CD and EF	IV the line of intersection of two planes are common to both planes
V \therefore GH \parallel MN	V 2 lines in str. lines that will never meet and lie in the same plane.

a geometric solid in the space that
could be accepted by a material solid

Axiom - is a truth which requires no proof
theorem - a geometric truth that requires a proof
| given and proved hypotheses and conclusions
Corollary - is a truth immediately inferred
from the preceding theorem and requires
little or no proof
a Proposition is a truth concerning matter
a Geometric figure requires no proof

Plane geometry

SOLID-GEOMETRY

A plane is a surface in which
if any two points are selected the
str. line connecting them, 2 points
lies entirely within its surface

What determines a plane

- I 3 points, not in the same str. line
- II 2 str. lines and a point outside its line
- III 2 intersecting lines with always 1 plane
- IV 2 parallel lines

Possibilities of plane and str. line

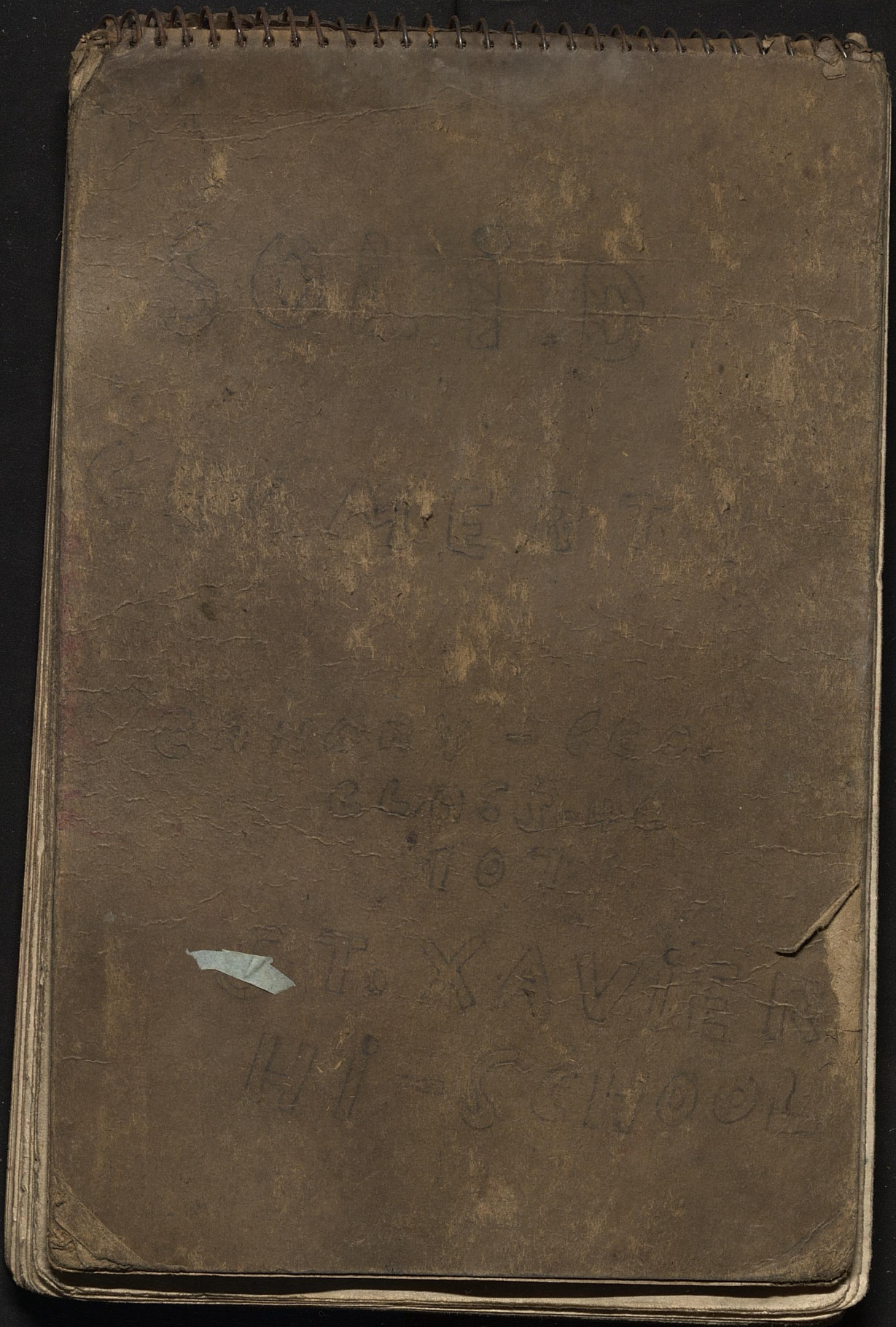
- | | |
|--------------|----------------|
| 1 intersect | part same |
| 2 parallel | no |
| 3 coincide | all parts same |
| 4 skew lines | no parts same |

Possibilities of 2 planes

- | | |
|-------------|------------------|
| 1 parallel | none |
| 2 intersect | 1 line in common |

Possibilities of 3 planes

- | | |
|--------------------|-------------|
| 1 parallel | none |
| 2 intersect | three lines |
| 3 1 point infinite | |



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